Protein structure prediction: Do hydrogen bonding and water-mediated interactions suffice?

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ABSTRACT

The many-body physics of hydrogen bond formation in alpha-helices of globular proteins was investigated using a simple physics-based model. Specifically, a context-sensitive hydrogen bond potential, which depends on residue identity and degree of solvent exposure, was used in the framework of the Associated Memory Hamiltonian codes developed previously but without using local-sequence structure matches (“memories”). Molecular dynamics simulations employing the energy function using the context-sensitive hydrogen bond potential alone (the “amnesiac” model) were used to generate low energy structures for three alpha-helical test proteins. The resulting structures were compared to both the X-ray crystal structures of the test proteins and the results obtained using the full Associated Memory Hamiltonian previously used. Results show that the amnesiac Hamiltonian was able to generate structures with reasonably high structural similarity (Q~0.4) to that of the native protein but only with the use of predicted secondary structure information encoding local steric signals. Low energy structures obtained using the amnesiac Hamiltonian without any a priori secondary structure information had considerably less similarity to the native protein structures (Q~0.3). Both sets of results utilizing the amnesiac Hamiltonian are poorer than when local-sequence structure matches are used.

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1. Introduction

The formation of hydrogen bonds in the backbone has long been recognized as a key aspect in stabilizing the native structures of globular proteins. This idea was the basis of the early predictions about protein structure made by Pauling and Kauzmann which pre-dated crystal structure determination [1,2]. Hydrogen bonds between polar amine and carboxyl groups alleviate the desolvation penalty of those groups as they become buried in protein’s native structure. This, in turn, gives rise to the familiar protein secondary structures, such as alpha-helices and beta-sheets. Furthermore, formation of the secondary structures in the molten globular state substantially diminishes the search space for the folded state, accelerating the folding kinetics [3–5]. Despite the clear importance of hydrogen bonding in protein folding thermodynamics and kinetics, and the enormous body of prior work in this area, a significant number of outstanding questions remain about the precise energetics of hydrogen bond formation among various pairs of amino-acid residues in the context of the local environment (e.g., whether there is a high density of neighboring residues or significant exposure to solvent.) Certain aspects of hydrogen bond energetics, owing to the solvent involvement should lead to non-trivial cooperative or anti-cooperative effects. One therefore wonders whether encoding the physics of hydrogen bond formation upon collapse might actually be sufficient to predict protein structure. In this work, we probe the many-body physics of hydrogen bond formation in alpha-helices of globular proteins by introducing corresponding context-sensitive hydrogen bond potentials as additional terms to a protein structure prediction Hamiltonian already developed in our group and evaluating the performance of this simple physics model.

Protein structure prediction potentials that incorporate knowledge of local-sequence structure patterns have become remarkably successful over the last decade. There are a number of features which are common to the potentials used by various groups. In addition to chain connectivity, usually both local and tertiary interactions enter as distinct terms in these Hamiltonians. In prior work by Saven and Wolynes, it was shown that local and tertiary interactions likely contribute nearly equally to the overall specificity of native folds [6]. There are a number of ways by which local interactions are treated in structure prediction Hamiltonians. In both fragment assembly-like methods [7,8] and the Associated Memory Hamiltonian [9–12], local structural signals are inferred by finding...
distant or close sequence similarity to corresponding local segments of many other proteins in the structural database. In recent developments of the Associated Memory Hamiltonian, called the AMH, memory-based guidance of local structure formation is supplemented by direct and water-mediated interactions which are burial-specific [13,14]. We call this the AMW model. Interestingly, although no direct hydrogen bonding potential was included in the alpha-helical AMW prediction code, highly native-like alpha-helices form in successful prediction runs, driven by the secondary structure bias from the memory proteins [13]. In this work, conversely we turn off these memories, but instead add direct many-body hydrogen bonding potential to the resulting memory-less (“amnesiac”) Hamiltonian. We colloquially use the latter potential to polypeptide chains where truly novel structural patterns exist locally, for example to study conformational dynamics of intrinsically-disordered proteins.

2. Methods

The infrastructure of our structure prediction program is based on the Associative Memory Hamiltonian with water mediation (AMW) [13]. There are four components in the Hamiltonian: a backbone term, a water-mediated term for medium/long range interactions (sequence distance larger than 8) and two hydrogen bonding potential terms.

\[ E_0 = E_{\text{backbone}} + E_{\text{med-long}} + E_{\text{helical}} + E_{\text{Kauzmann}}. \]  

In our Hamiltonian, the atoms \( C_b, C_a \) and \( O \) are explicitly represented with chain connectivity. The backbone angles are controlled by a Ramachandran potential and chirality potential. Excluded volume is treated for the explicitly represented atoms in the system. The exposure or buriedness of any residue is calibrated based on the residue density surrounding it, which is calculated on-the-fly. The medium/long range interactions between residues depend on the residue density surrounding the interaction as well. Here we present the details of helical hydrogen bond potential and how water mediation is integrated into the potential.

We focus on implementing the water mediation into the hydrogen bond potential that controls the formation of helices. As a result, the exposure or degree of burial of the residue is used to characterize the environment of the forming hydrogen bond as was done earlier in a study by Takada without water-mediated interactions [15,16]. The memory term used in previous studies [13] is replaced by the water-mediated helical potential in our Hamiltonian, which we denote as the “amnesiac” Hamiltonian.

We use the following hydrogen bonding potential to control helical formation:

\[ E_{\text{helical}} = \gamma_p \times V_4^{\text{helical}}(r_{ON}, r_{OH}) \times \sigma(i, i + 4) \]  

where \( E_{\text{helical}} \) is our helical hydrogen bond potential. And \( \sigma(i, i + 4) = H_{\text{burial}}(\rho_i) \times H_{\text{burial}}(\rho_{i+4}) \) is the burial profile term of the pairwise interaction, \( \rho \) is the local density of each residue calculated in the water potential.

\[ V_4^{\text{helical}}(r_{ON}, r_{OH}) = -\left( f(i) + f(i + 4) \right) \times \exp \left[ \frac{-\left( r_{ON}^2 - \left( r_{ON}^\text{\textless} \right)^2 \right)}{2\sigma_{\text{NO}}^2} \right] \times \exp \left[ \frac{-\left( r_{OH}^2 - \left( r_{OH}^\text{\textless} \right)^2 \right)}{2\sigma_{\text{HO}}^2} \right] \]  

The term \( f(i) \) describes the probability of finding the corresponding residue type in helices from the protein database [17]. The hydrogen bond stability is proportional to the sum of helical propensities of the two interacting residues.

The overall energy scale of helical hydrogen bond potential is denoted by \( \gamma_p \), which has been optimized using training proteins based on the minimal frustration principle [18].

The above potential directs the hydrogen bonding between different pairs of residues when both are buried. As residues become exposed, the free energy gain due to hydrogen bond formation will...
decrease to reflect the fact that water molecules can also participate in hydrogen bond formation. For $\gamma_w < 0$, this free energy for intra-helical hydrogen bond formation can become negative (anti-helical), which we dub as the “Kauzmann effect”. The following potential is given:

$$E_{\text{Kauzmann}} = \gamma_w \times V_{\text{helical}}^{(i)}(r_{i\text{ON}}, r_{i\text{OH}}) \times (1 - \sigma(i, i + 4))$$

(4)

where $V_{\text{helical}}$ was described by (3).

Seven alpha-helical proteins were used for training the new parameters. In this procedure, we first simply set $\gamma_p$ and $\gamma_w$ as 2.5 and $-2.5$ respectively. Simulations of seven training proteins were performed to generate ensembles of native-like structures and protein structures in the molten-globule state using the amnesiac Hamiltonian both with and without a secondary structure bias. Before the simulations were started, a secondary structure prediction for each protein was obtained [19]. For simulations employing a secondary structure bias, the results of the secondary structure predictions were used to bias the Ramachandran potential in favor of the predicted secondary structure. The cumulant expansion of free energy with respect to parameter $\gamma_p$ and $\gamma_w$ was performed. The optimal value is chosen at the position where the free energy gap between native-like structure ensemble and molten-globule structure ensemble is maximized. Based on the optimization result, $\gamma_p$ is approximately 2.0 and $\gamma_w$ is $-1.0$ (see Fig. 1).

In the force calculations, the derivative of the potential is calculated for every explicit atom involved in the potential. The derivative follows the chain rule calculation in the hydrogen bond potential. The forces are transferred from the implicit nitrogen atom to the explicit atoms $C_N$, $C_O$, and $O_H$ in the planar scaffold of the amino acid. For the $H_{\text{bund}}$ terms, the forces will be applied to the relevant residues in proximity. Therefore our helical potential is a non-additive potential, instead of a simple two-body potential.

### 3. Results and discussion

Molecular dynamics annealing simulations were performed using the amnesiac Hamiltonian to generate low energy conformations of target proteins. Three relatively small alpha-helical test proteins were used to test the performance of the amnesiac Hamiltonian: amino-terminal domain of phage 434 repressor, uteroglobin, and vitamin D-dependent calcium-binding protein (PDB accession ID numbers 1R69, 1UTG and 3ICB, respectively). For comparison, molecular dynamics annealing simulations were performed on all three targets using the standard AMW Hamiltonian, a knowledge-based potential that has previously been shown to predict structures with high structural similarity to the native fold [13]. In this case, of course, no homologs were included in the memory set. To illustrate how the amnesiac Hamiltonian categorizes buried and exposed hydrogen bonds, Fig. 2 shows the native structure of 1UTG protein with hydrogen bonds colored according to the amnesiac potential. The exposed and buried hydrogen bonds depicted in Fig. 2 as determined by the amnesiac potential are consistent with our expectations: all exposed hydrogen bonds are limited to alpha-helical segments facing out from the protein interior or located near loops, while buried hydrogen bonds are mostly confined to alpha-helical segments located near the protein’s interior.

For each target, two separate sets of 14 annealing simulations with the amnesiac model were performed in which one set uses a secondary structure bias and the other does not. The best Q score for each run is reported in Fig. 3. The Q score is defined as $2\sum_{i,j=2}^{k} \exp[-(r_{ij} - r_{ij}^N)^2/2\sigma_{ij}^2]/(N - 1)(N - 2)$. Q serves as a quantitative measure for all pairwise distances within a given structure [20]. For example, a structure with $Q = 1.0$ corresponds to the native structure, while a structure with a Q score <0.2 bears little resemblance to the native form. The $Z$ score calculated using the combinatorial extension (CE) algorithm [21] was used as another similarity measure with which to compare predicted structures to their crystallographic structures. This score identifies general topological similarities irrespective of protein sequence. For example, $Z$ scores larger than 4.0 indicate strong similarities between protein structures.

The results in Fig. 3 were obtained using values of $\gamma_p = 2.0$ and $\gamma_w = -1.0$ for buried and exposed hydrogen bonds, respectively. These values should strongly favor the formation of buried hydrogen bonds and discourage formation of exposed intra-helical hydrogen bonds. The best Q score obtained for simulations using a secondary structure bias are substantially improved over simulations carried out without a secondary structure bias. While this is not surprising, it is interesting to observe the degree of improvement in the prediction. For each target protein, the best overall Q scores for simulations using a secondary structure bias approaches
0.4, which is typically characterized by a better than 6 Å RMSD fit to the native structure. In contrast, the best overall Q scores found for simulations that do not use a secondary structure bias do not exceed 0.35. This trend is mirrored by the Z scores calculated for each of the structures giving the best Q score. The highest Z score for simulations biased by their predicted secondary structure was 4.1, while the highest value for the unbiased simulations was merely 3.1.

The structures obtained from annealing simulations with and without the secondary structure bias for protein 1UTG are displayed in Fig. 4 (corresponding contact maps can be found in the Appendix, Figs. A10–A12). The predicted structure obtained for protein 1UTG from simulations using the secondary structure bias represents the best predicted structure generated by all simulations employing the amnesiac potential. Comparison with the X-ray crystal structure shows that structural similarity is very high with some discrepancy between the packing of one of the helical segments. The best predicted structure obtained for protein 1UTG from simulations without the secondary structure bias appears quite different from the native structure due to the lack of secondary structural elements. However, the contact map (see Appendix) illustrates that a reasonable number of native pairwise contacts are present in this structure, which indicates that the amnesiac potential is able to recapitulate some of the structural features of the protein even without a secondary structure bias.

Results obtained for proteins 1R69 and 3ICB (Figs. 5 and 6) mirror those discussed for 1UTG above. Again, the best predicted structures for each protein were obtained from simulations employing the secondary structure bias. A brief visual inspection of the left side of Figs. 5 and 6 shows that the overall similarity between the predicted structure and that of the X-ray structure bias was high, with some mis-packing of secondary structure elements (particularly for protein 3ICB). The best predicted structure for proteins 1R69 and 3ICB for simulations without a secondary structure bias, shown on the right side of Figs. 5 and 6, exhibit poorly developed secondary structure. The contact map for protein 1R69 (see
Appendix) indicates reasonably large regions where native contacts are maintained, while the number native contacts shown in the contact map for protein 3ICB is quite low.

Fig. 7 shows the best overall Q scores for annealing simulations using the AMW Hamiltonian with and without a secondary structure bias. In contrast to the results obtained using the amnesiac
Hamiltonian, the addition of a secondary structure bias does not lead to any substantial improvement in the prediction results. This can be attributed to the fact that associative memory potential term already biases the secondary structure according to its alignment with a set of non-homologous memory proteins. The best Q scores measured for the AMW annealing simulations are considerably better than those achieved with amnesiac Hamiltonian.

Fig. 8 displays the best Q sampled in 10 annealing simulations for protein 1UTG using varying values of the Pauling–Kauzmann coefficient for exposed hydrogen bonds \( \gamma_w \) to investigate the effect of favoring or disfavoring exposed hydrogen bonds on structure prediction. The results for simulations employing a secondary structure bias clearly exhibit a dependence on the value of this parameter, while simulations without a secondary structure bias exhibit a weaker dependence. One possible explanation for this trend could be that the secondary structure bias influences the residue density, which in turn influences the \( E_{helical} \), which depends on local residue density. In both cases, larger positive values of \( \gamma_w \) appear to result in predicted structures with higher Q scores and suggests that annealing simulations using larger positive values of \( \gamma_w \) would have yielded structures with higher structural similarity that those reported in Fig. 3.

To further understand the role of exposed hydrogen bonds in protein folding, free energy profiles for 1UTG were calculated as a function of Q score using umbrella sampling along the reaction coordinate. Umbrella sampling was carried out with the Q score bias potential \( V(Q) = 5000 \times (Q - Q_i)^4 \) where \( Q_i = 0.15, 0.20, 0.25, 0.30, \ldots, 0.95 \). Free energy plots as a function of Q score were calculated using the weighted histogram analysis method [22]. Fig. 9 shows free energy profiles calculated from simulations using \( \gamma_w \) values of 3.0, 0.0 and -3.0 and both with and without the secondary structure bias. The trends observed in the free energy calculations are consistent with the trends observed in the annealing simulation results. For those simulations using a secondary structure bias, the free energy curve minima are shifted to larger values of Q compared to that of simulations without the secondary structure bias. Interestingly, the free energy minima for simulations using \( \gamma_w \) values of 0.0 and -3.0 both occur at \( Q \sim 0.30 \), while for simulations using a \( \gamma_w \) value of 3.0 the free energy minimum moves to a noticeably higher Q score (Q > 0.4). In contrast, the free energy vs. Q plots for corresponding simulations without the secondary structure bias all exhibit minima at \( Q \sim 0.23 \). This low value is also consistent with results observed in the annealing simulations. The results in Fig. 9 suggest that the use of the secondary structure bias strongly influences the \( E_{helical} \) term of the amnesiac potential and, in turn, its ability to sample structures more similar to the native state. These results also suggest that the role of intrahelical exposed hydrogen bonds plays an important role in stabilizing the native protein conformation.

4. Conclusions

We have investigated the ability of a coarse-grained microphysics-based model to predict the structures of globular proteins. The microphysics incorporated in the simplest “amnesiac” model emphasizes the importance of backbone buried hydrogen bond and sequence dependent compaction with the inclusion of water-mediated interactions. While this model captures many of the common themes of protein structures in its predictions, it performs considerably more poorly than schemes that also incorporate local in sequence interactions, like the corresponding associative memory Hamiltonian. Surprisingly, adding a rather simple local secondary structure potential term already improves performance considerably, although not to the level of the full AMW method or the most powerful hybrid of AMH and fragment assembly. The amplification of local signals, by a roughly organized collapse, predicted by Saven and Wolynes’ analytical theory [6] seems to be at the core of this performance.

The value of the current amnesiac code is that it is applicable to the prediction of alpha-helical proteins where any local structural signals have a distinct origin from those typically seen in globular proteins. Examples include “intrinsically-disordered” proteins, which have become increasingly recognized for their biological significance. It will also be of interest to use the amnesiac code to examine and predict membrane protein structures, many of which exhibit only alpha-helical structure, where again the main organizing microscopic forces should be captured by the amnesiac model. Extension of this model to include proteins with alpha-beta and all-beta secondary structure will require a more complicated potential for hydrogen bonding, as discussed in [14], and is a problem for the future. Refinement of the hydrogen bonding potential in the amnesiac model to allow more extensive hydrogen bonding will allow us to investigate a broader range of “intrinsically-disordered” proteins, as well as explore the possibility of whether these proteins adopt fluctuating super-secondary structures not yet observed.

Acknowledgment

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Appendix A

![Fig. A10](image.png)

Fig. A10. Left: contact map for a predicted structure from an annealing simulation using a secondary structure bias for protein 1UTG. Right: contact map for a predicted structure from an annealing simulation without using a secondary structure bias for protein 1UTG.
References